## Introduction to Transportation Systems

## PART II:

## FREIGHT TRANSPORTATION

## Chapter 15:

## Railroad Terminals:

## P-MAKE Analysis to Predict Network Performance

## Terminals

## Terminal performance is a major determinant of network performance.



## Terminal Performance: Another Look



Performance includes a measure of cost -- if one is measuring terminal performance not only on throughput of the terminal but also on the resources used -- robustness may involve a more conservative use of resources. It may involve having redundancy in the system.

# LOS and Routing over the Rail Network 

Level-of-service in rail freight operations is a function of the number of intermediate terminals at which a particular shipment is handled.

- Empirical research shows the major determinant of the LOS is not the distance between origin and destination, but rather the numbers of times the shipment was handled at intermediate terminals, which is really an operating decision on the part of the railroads.


## Direct Service



Figure 15.3

## Terminal Operations

## Classification Yard



## A P-MAKE Function



## Average Yard Time

Now, average yard time -- $\mathrm{E}(\mathrm{YT})$-- will be a function of the available time (AVAIL) to make that connection. In this model, $\mathrm{E}(\mathrm{YT})$-- the average yard time -- will have two components -- the time spent in the yard if the connection is made, in which case, with probability P-MAKE, the terminal time is AVAIL. With probability (1-P-MAKE), the car will spend (AVAIL + the time until the next possible train).
$\mathrm{E}(\mathrm{YT})$ = P-MAKE * (AVAIL)

+ (1-P-MAKE) * (AVAIL + time until next possible train)


We can calibrate these curves and calculate an "optimal" AVAIL for the particular terminal.

# Origin-Destination Performance 



## P-MAKE Functions



## Another P-MAKE Function



Figure 15.9

## Missed <br> Connection Probability <br> Yard Time (for AVAIL $=8$ <br> for both yards)

0
[f(AVAIL)] ${ }^{2}$
16

$1 \quad$| $2 \mathrm{f}(\mathrm{AVAIL}) *$ |
| :--- | :--- |
| $\mathrm{f}(\mathrm{AVAIL})]$ |

$2 \quad[1-\mathrm{f}(\mathrm{AVAIL})]^{2} \quad 64$

## Total Yard Time as a f(Avail)

Probability

Probability

$$
\begin{aligned}
\mathrm{f}(\mathrm{AVAIL})= & \mathrm{P}-\mathrm{MAKE}=0.9 \\
& \text { Average O-D Time }=56.8 \\
& \text { Variance O-D Time }=103.7
\end{aligned}
$$

$$
\begin{aligned}
\mathrm{f}(\mathrm{AVAIL})= & \mathrm{P}-\mathrm{MAKE}=0.8 \\
& \text { Average O-D Time }=61.6 \\
& \text { Variance O-D Time }=184.3
\end{aligned}
$$

Figure 15.10

## Available Yard Time



## More Frequent Trains (1)




## More Frequent Trains (2)

- So, by having trains run twice a day, the average yard time and variance of yard time goes down. This system is a more expensive system, but provides a better level-of-service. This is the classic cost/LOS trade-off [Key Point 14].


## Bypassing Yards

## Total Yard Time with Bypassing One Yard




